

Revisão de Conceitos

1. Converta os números seguintes que estão na base 10 para a base 16, base 2 e base 8

Converter da Base 10 para a 16
 381 | 16 EXEMPLO
 61 | 23 | 16
 13 | 7 | 1 | 16
 | 1 | 0 | 16
 | 0 | 0

←

$(381)_{10} = (017D)_{16}$

Converter da Base 16 para a 2
 $(17D)_{16} = (0001\ 0111\ 1101)_2$

Converter da Base 2 para a 8
 $(000\ 101\ 111\ 101)_2 = (0575)_8$

- a) 43
- b) 54
- c) 349
- d) 15
- e) 4
- f) 1

2. Converta os números seguintes que estão nas bases indicadas para a base 10

$(1BC)_{16} = 1 \cdot 16^2 + B \cdot 16^1 + C \cdot 16^0$
 $= 1 \cdot 256 + 11 \cdot 16 + 12 \cdot 1$
 $= 256 + 176 + 12$
 $= 444$ EXEMPLO

- a) $(C3)_{16}$
- b) $(743)_8$
- c) $(111011)_2$
- d) $(54)_{16}$
- e) $(111)_8$
- f) $(101110)_2$

3. Faça a soma dos números na base indicada

EXEMPLO $(573)_8 + (327)_8$

	2	5	3
+	3	3	7
<hr/>			
	6	1	2

$(573)_8 + (327)_8 = (612)_8$

- a) $(1E)_{16} + (A3)_{16}$
- b) $(532)_8 + (327)_8$
- c) $(110011)_2 + (110011)_2$
- d) $(29)_{16} + (53)_{16}$
- e) $(151)_8 + (333)_8$
- f) $(01110)_2 + (11011)_2$

4. Os números seguintes estão na base 2 e codificados em Código de Complementos. Faça as operações indicadas e apresente o resultado na base 10

EXEMPLO: SOMA $(11011)_2 + (11010)_2$

		1	1	0	1	1
+		1	1	0	1	0
1		1	0	1	0	1

↓

		1	0	1	0	1
inverter						
		0	1	0	1	0
+			somar 1			1
		0	1	0	1	1

$(11011)_2 + (11010)_2 = (10101)_2 = -(1011)_2 = -11$

EXEMPLO: SOMA $(10011)_2 + (11010)_2$

		1	0	0	1	1
+		1	1	0	1	0
1	0	1	1	0	1	1

$(10011)_2 + (11010)_2 = (01101)_2 = +(1101)_2 = +13$

EXEMPLO: SUBTRACÇÃO $(11011)_2 - (11010)_2$

		1	1	0	1	1
-		1	1	0	1	0
		1	1	0	1	0

↓

		1	1	0	1	0
inverter						
		0	0	1	0	1
+			somar 1			1
		0	0	1	1	0

↓

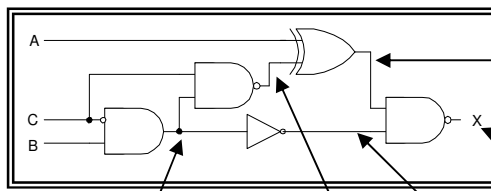
		1	1	0	1	1
+		0	0	1	1	0
1	0	0	0	0	0	1

$(10011)_2 - (11010)_2 = (00001)_2 = +(0001)_2 = +1$

- a) $(11011)_2 + (11001)_2$
- b) $(01110)_2 + (10011)_2$
- c) $(01001)_2 + (11101)_2$
- d) $(11100)_2 + (10001)_2$
- e) $(01011)_2 + (11111)_2$
- f) $(01011)_2 + (00011)_2$

- g) $(11011)_2 - (11001)_2$
- h) $(01110)_2 - (10011)_2$
- i) $(01001)_2 - (11101)_2$
- j) $(11100)_2 - (10001)_2$
- k) $(01011)_2 - (11111)_2$
- l) $(01011)_2 - (00011)_2$

5. Apresente as **tabelas de verdade** dos circuitos seguintes, e escreva as **expressões lógicas** correspondentes:

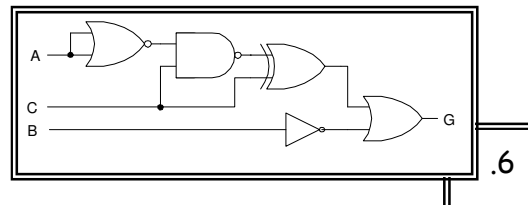
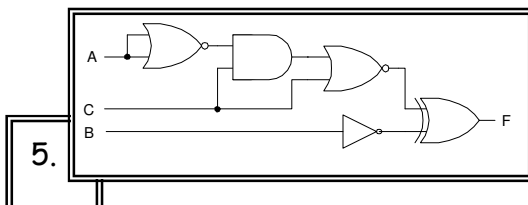
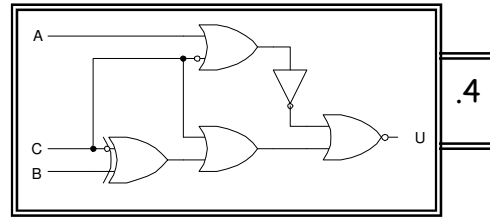
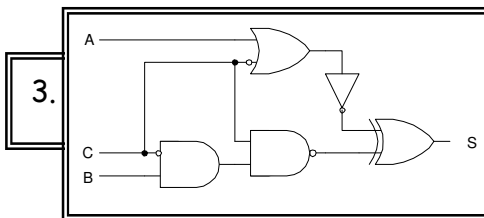
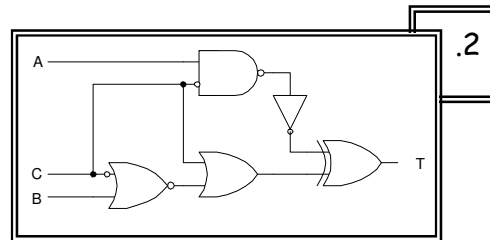
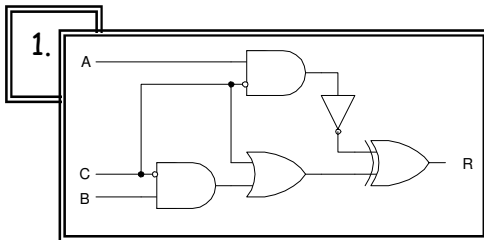


$\overline{((b \cdot \bar{c}) \cdot c) \oplus a}$
 $\overline{\overline{((b \cdot \bar{c}) \cdot c) \oplus a} \cdot (b \cdot \bar{c})}$

$b \cdot \bar{c}$ $(b \cdot \bar{c}) \cdot c$ $\overline{b \cdot \bar{c}}$

EXEMPLO

A	B	C	$b \cdot \bar{c}$	$\overline{b \cdot \bar{c}}$	$(b \cdot \bar{c}) \cdot c$	$\overline{((b \cdot \bar{c}) \cdot c) \oplus a}$	S
0	0	0	0	1	0	0	1
0	0	1	0	1	0	0	1
0	1	0	1	0	0	0	1
0	1	1	0	1	0	0	1
1	0	0	0	1	0	1	0
1	0	1	0	1	0	1	0
1	1	0	1	0	0	1	1
1	1	1	0	1	0	1	0



6. Desenhe os circuitos das seguintes expressões lógicas:

1. $\overline{\overline{a \cdot b + d + \bar{c}}}$

3. $a \cdot \overline{c + d} \cdot b$

2. $((a \oplus \bar{b}) \cdot c) + \overline{d + b}$

4. $b + \overline{\overline{a \oplus c} + d}$